

Server based Indoor Navigation Using RSSI and Inertial Sensor Information

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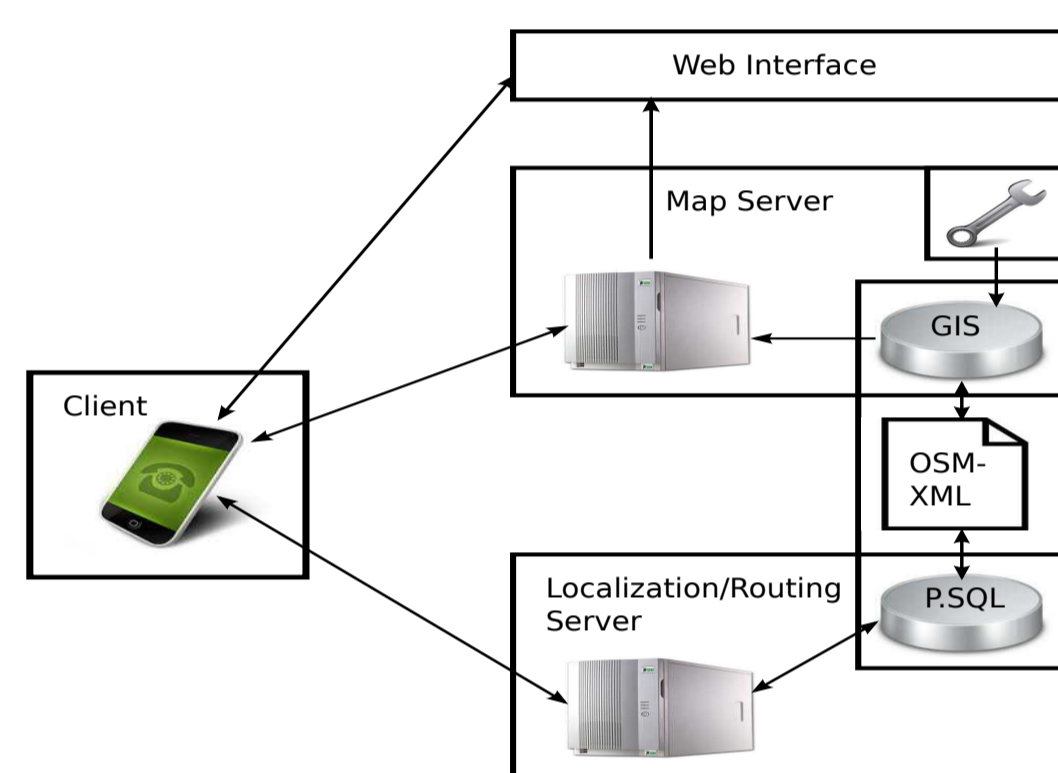
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Introduction

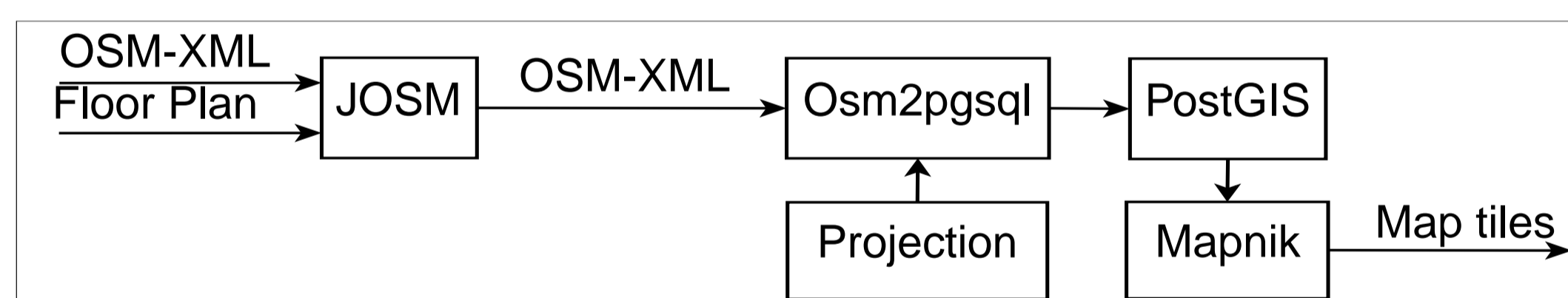
- System for indoor navigation in a multi-level office building
- Server-Client architecture
 - ▶ Server: map tiles, localization & routing
 - ▶ Client: step detection, map visualization, RSSI measurements
- Hidden Markov Model
 - ▶ Fuses RSSI and step detection information
 - ▶ Enables position estimation even in areas without WiFi access points

System overview

- Server infrastructure
 - ▶ Web interface for data exchange
 - ▶ Provides services for localization & routing
 - ▶ Reduced computational complexity on smartphone
- Smartphone application
 - ▶ Displays map & user's position
 - ▶ Displays calculated route
 - ▶ Gesture based map and route exploration



Map database

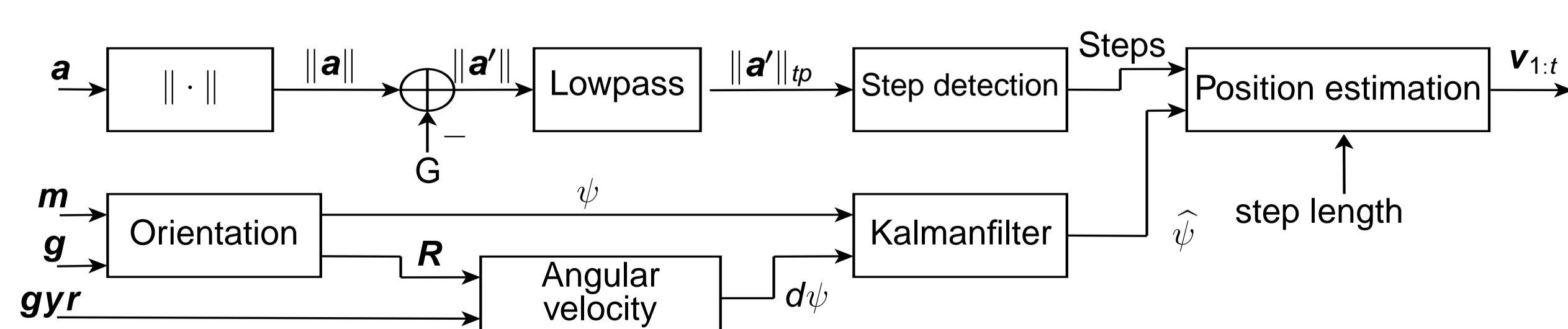


- OSM database delivers raw data for building bounds
- Hand-created indoor map data
- Regards aspects of multi-level buildings

Fingerprint database

- Stores the WiFi information together with the map data in a PostGIS database
- Stores RSSI measurements either offline or online
- Single extendible database for the campus

Inertial Navigation



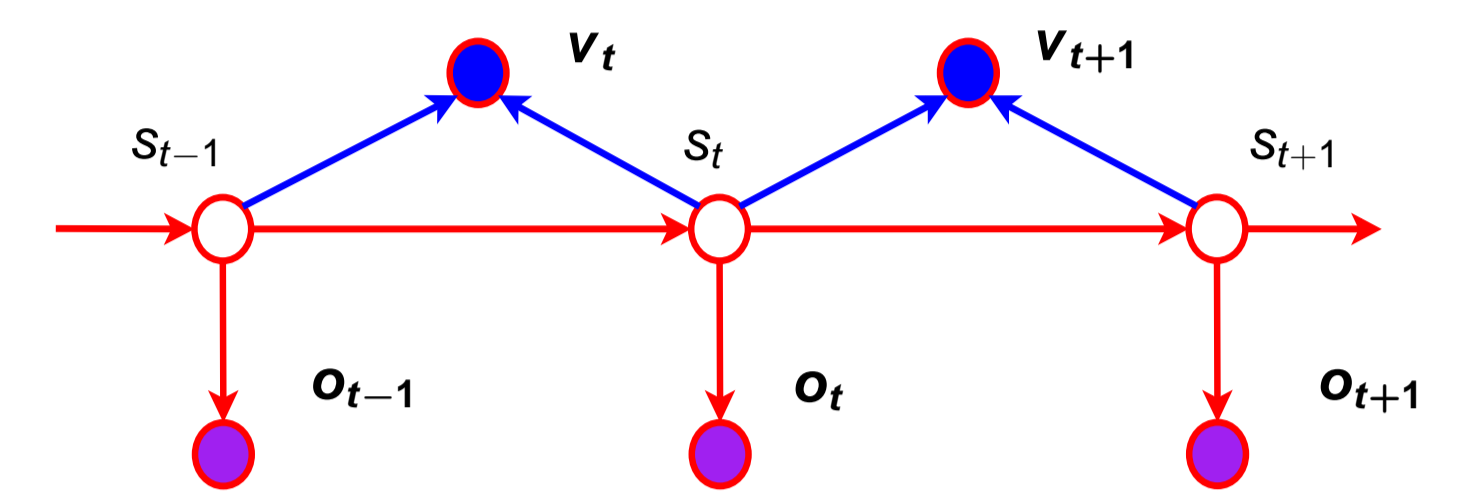
- Step detection uses accelerometer data \mathbf{a}
- Movement heading estimation uses a Kalman filter to fuse the magnetometer \mathbf{m} , gravity \mathbf{g} and gyroscope data \mathbf{gyr}
- Accumulates steps and movement heading estimations towards movement vector \mathbf{v}

Hidden Markov Model

- Hidden state variable at time instance t : s_t

- RSSI: $\mathbf{o}_{1:t} = [\mathbf{o}_1, \dots, \mathbf{o}_t]$

- Step: $\mathbf{v}_{1:t} = [\mathbf{v}_1, \dots, \mathbf{v}_t]$



- Probability of being in j -th state at time instance t :

$$P(s_t=j | \mathbf{v}_{1:t}, \mathbf{o}_{1:t}) \sim P(s_t=j, \mathbf{v}_{1:t}, \mathbf{o}_{1:t}) := \alpha_t(j)$$

where

$$\alpha_t(j) = \sum_i p(\mathbf{v}_t | s_t=j, s_{t-1}=i) \cdot p(\mathbf{o}_t | s_t=j) \cdot P(s_{t-1}=i) \cdot \underbrace{P(s_{t-1}=i, \mathbf{v}_{1:t-1}, \mathbf{o}_{1:t-1})}_{=\alpha_{t-1}(i)}$$

- ▶ Movement information:

$$\diamond \mu_{ij} = l_j - l_i$$

- ▶ Σ_v : predefined diagonal covariance matrix

$$p(\mathbf{v}_t | s_t=j, s_{t-1}=i) = \frac{e^{-\frac{1}{2}(\mathbf{v}_t - \mu_{ij})^T \Sigma_v^{-1} (\mathbf{v}_t - \mu_{ij})}}{\sqrt{(2\pi)^2 |\Sigma_v|}}$$

- ▶ RSSI likelihood: $p(\mathbf{o}_t | s_t=j) = \prod_{i=1}^{N_{AP}} p(o_i | l_j)$

- ▶ l_j : the location when $s_t=j$

- ▶ o_i : observation of the i -th AP in the RSSI measurement \mathbf{o}_t

- ▶ Transition probability: $P(s_t=j | s_{t-1}=i)$

- Position estimate: weighted average over the set of the most likely positions \mathcal{P} :

$$\hat{l} = \frac{1}{\sum_{k \in \mathcal{P}} p(s_t = k | \mathbf{v}_{1:t}, \mathbf{o}_{1:t})} \sum_{k \in \mathcal{P}} p(s_t = k | \mathbf{v}_{1:t}, \mathbf{o}_{1:t}) l_k$$

Experiments

- Step detection example in a staircase

- ▶ Movement heading estimate was highly affected by electrical machines (right side)

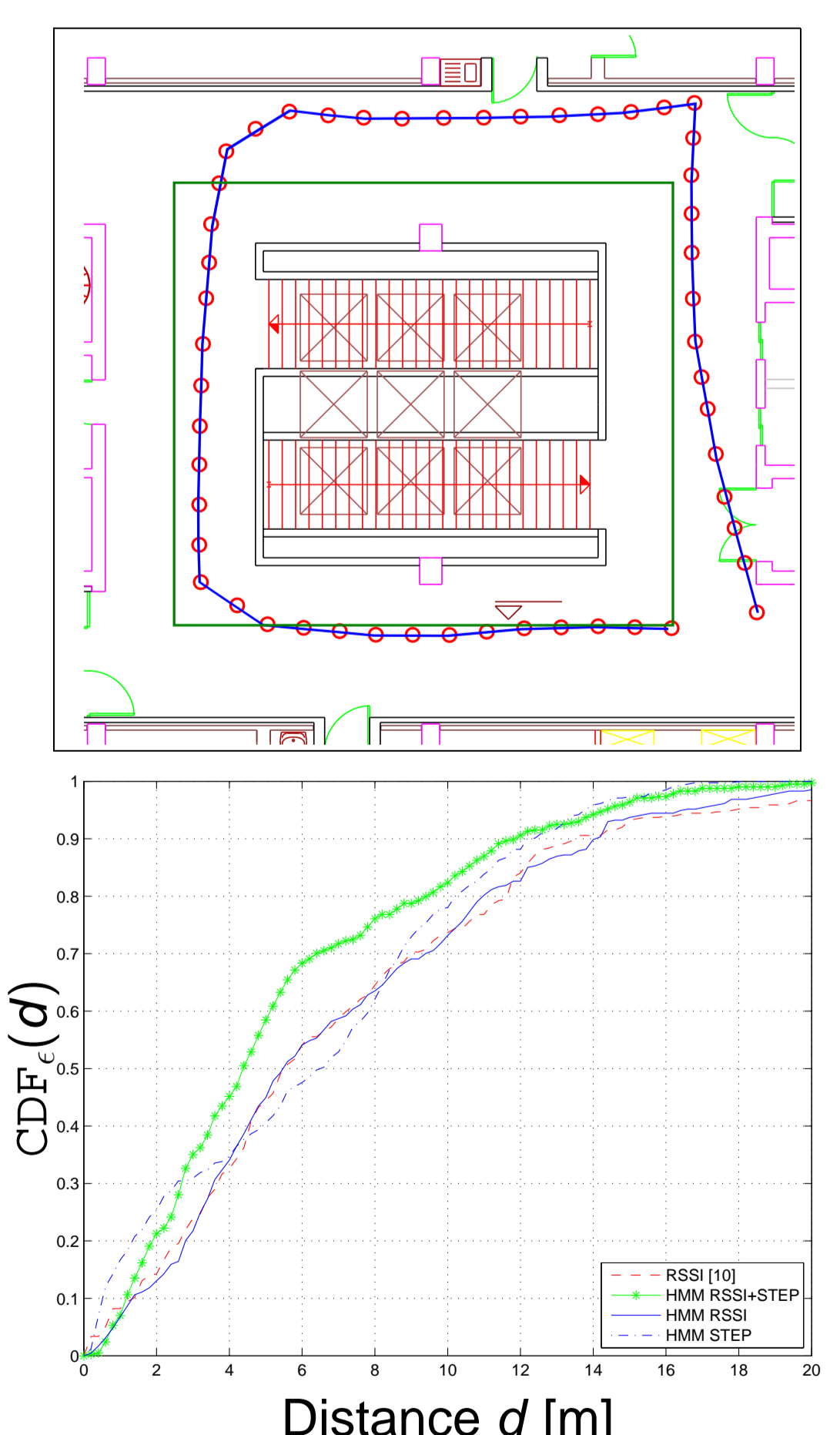
- ▶ Localization remains in sufficient accuracy

- Field data

- ▶ CDF is defined as:

$$\text{CDF}_\epsilon(d) = P(\epsilon \leq d) \quad d \geq 0$$

- ▶ Proposed approach mostly outperforms the other approaches which only use RSSI or step detection information



Conclusions

- Flexible client-server architecture for indoor navigation
 - ⇒ Offers navigation services to low-cost smartphones
- Step detection system for dead reckoning
 - ⇒ Route guidance even if no internet access is available